



Rcc building design example pdf

CAPSTONE PROJECT REPORT (Project Term January-April, 2014) (DESIGN OF SINGLE STOREY MUNICIPAL BUILDING) Department of Civil engineering Submitted by:Mysum Shabir Yavar Ahad Mohd. Tajamul Jaspreet Kaur Amol Kumar Registration Number: 11007722 Registration Number: 11012119 Registration Number: 11001586 Registration Number: 11008366 Project Group Number: Under the Guidance of Miss Damanpreet Kaur Discipline of Civil Lovely Professional University, Phagwara January to April, 2014 i Page Declaration: We hereby declare that the project work entitled "DESIGN OF SINGLE STOREY MUNICIPAL BUILDING" is an authentic record of our own work carried out as requirements of Capstone Project for the award of degree of B.Tech in Civil engineering from Lovely Professional University, Phagwara, under the guidance of Miss Damanpreet Kaur during January to April 2014. Mysum Shabir Registration Number: 11007722 Yavar Ahad Registration Number: 11011945 Mohd. Tajamul Islam Registration Number: 11012119 Jaspreet Kaur Registration Number: 11001586 Amol Kumar Registration Number: 11008366 ii | P a g e CERTIFICATE This is to certify that the declaration statement made by this group of students is correct to the best of my knowledge and belief. The Capstone Project Proposal based on the technology / tool learnt is fit for the submission and partial fulfillment of the conditions for the award of B.Tech in Civil Engineering from Lovely Professional University, Phagwara. Name: Damanpreet Kaur U.ID: 17418 Designation: Assistant Professor Signature of Faculty Mentor iii | P a g e Table of contents Abstract..... Columns. slabs... design is the primary aspect of civil engineering. The very basis of construction of any building, residential house or dams, bridges, culverts, canals etc. is designing. Structural engineering has existed since humans first started to construct their own structures. The foremost basic in structural engineering is the design of simple basic components and members of a building viz., Slabs, Beams, Columns and Footings. In order to design them, it is important to first obtain the plan of the particular rooms (Drawing room, bed room, kitchen toilet etc.) such that they serve their respective purpose and also suiting to the requirement and comfort of the inhabitants. Thereby depending on the suitability; plan layout of beams and the position of columns are fixed. Thereafter, the loads are obtained, which according to the code IS:875-1987 is around 2kN/m2. Once the loads are obtained, the component takes the load first i.e. the slabs can be designed. Designing of slabs depends upon whether it is a one-way or a two-way slab, the end conditions and the loading. From the slabs, the loads are transferred to the beam. The loads coming from the slabs onto the beam may be trapezoidal or triangular. Depending on this, the beam may be designed. Thereafter, the loads (mainly shear) from the beams are taken by the columns. For designing columns, it is necessary to know the moments they are subjected to. For this purpose, frame analysis is done by Moment Distribution Method. After this, the designing of columns is taken up depending on end conditions, moments, eccentricity and if it is a short or slender column. Most of the columns designed in this mini project were considered to be axially loaded with biaxial bending. Finally, the footings are designed based on the loading from the column and also the soil bearing capacity value for that particular area. Most importantly, the sections must be checked for all the four components with regard to strength and serviceability. Overall, the concepts and procedures of designing the basic components of a single storey building with regard to appropriate directions for the respective rooms, choosing position of beams and columns are also properly explained. The future of structure engineering mainly depends on better and more effective methods of designing the structures so that they serve better and are also economical. v|Page LIST OF FIGURES S.No. FIGURE NAME PAGE NO. 1 Load bearing masonry building 2 2 Framed Structural system 3 3 Elements of RCC framed building 5 4 Architectural plan of building 17 5 Load distribution in one way slab for slab S3 27 7 Two slab load distribution and action for slab S3 27 7 Two slab load distribution and action for slab S4 37 9 Cross sectional view of column (C1) 64 12 Cross sectional view of column (C2) 64 13 Sectional view of column (C3) 65 14 Cross sectional view of column (C3) 65 15 Sectional view of column (C3) 65 15 Sectional view of column (C3) 66 vi | P a g e List of tables TABLENO. NAME OF TABLE PAGE NO. 1 Values of partial safety factor for loads (IS 456:2000, TABLE 18) 7 2 Maximum shear stress, τcmax, N/mm2 (Table 20 of IS 456:2000) 12 3 Design shear strength of concrete τc, N/mm2 (table 13 19 of IS 456:2000) 4 Development length for fully stressed deformed 15 bars shear reinforcement (stirrups) 5 Live loads on floors as per IS-875(Part-2)-1987 16 6 Live loads on roofs as per IS-875(Part-2)-1987 16 7 Beam design data 51 8 Beam design data 51 9 column design data 62 10 Foundation design data 76 vii | P a g e Acknowledgement: We have taken efforts in this project. However, it would not have been possible without the kind support and help of many individuals. We would like to extend my sincere thanks to all of them. We are highly indebted to Dept. of Civil Engineering for their guidance and constant supervision as well as for providing necessary information regarding the project. We would like to take this opport in completing the project. We would like to express our gratitude towards all those people who have helped us in the successful completion of this capstone project, directly or indirectly. We would also like to express our sincere gratitude towards Miss Damanpreet Kaur for her guidance and help which she willingly provided at every step of the project. viii | P a g e 1.0 INTRODUCTION 1.1 General Introduction The procedure for analysis and design of a given building will depend on the type of building, its complexity, the number of stories etc. First the architectural drawings of the building are studied, structural design will involve some steps which will depend on the type of building and also its complexity and the time available for structural design. Often, the work is required to start soon, so the steps in design are to be arranged in such a way the foundation drawings can be taken up in hand within a reasonable period of time. Further, before starting the structural design, the following information of data is required: (i) A set of architectural drawings; (ii) Soil Investigation report (SIR) of soil data in lieu thereof; (iii) Location of the place or city in or der to decide on wind and seismic loadings; (iv) Data for lifts, water tank capacities on top, special roof features or loadings, etc. Choice of an appropriate structural system for a given building is vital for its economy and safety. There are two types of building systems: (a) Load Bearing Masonry Buildings (b) Framed Buildings. (a) Load Bearing Masonry Buildings:- Small buildings like houses with small spans of beams, slabs generally constructed as load bearing brick walls with reinforced concrete slab beams. This system is suitable for buildings crushing strength of bricks shall be 100 kg/cm2 minimum for four stories. This system is adequate for vertical loads it also serves to resist horizontal loads like wind & earthquake by box action. The design of Load Bearing Masonry Buildings are done as per IS: 1905 - 1980 (Indian Standards Code of Practice f or Structural Safety of Buildings: Masonry Walls(Second Revision) . 1|P a g e Fig 1. Load bearing masonry buildings: -In these types of buildings: reinforced concrete frames are provided in both principal directions to resist vertical loads and the vertical loads. The brick walls are to be regarded as non load bearing filler walls only. This system is suitable for multi - storied building which is also effective in resisting horizontal loads due to earthquake. In this system the floor slabs, generally 100 - 150 mm thick with spans ranging from 3.0 m to 7.0 m. In certain earthquake prone areas, even single or double storey buildings are made framed structures for safety reasons. Also the single storey buildings of large storey heights (5.0m or more), like electric substation etc. are made framed structure as brick walls of large heights are slender and load carrying capacity of such walls reduces due to slenderness. 2|P a g e Fig 2. Framed Structural system 3|P a g e 1.2 proposals The municipal building housed in a single storey shall have following accommodation: Bed room = 4 No. 3.25m x 3.15 m Kitchen = 4 No. 3.25m x 3.15 'Slab'. 2. Beams:- The peripheral horizontal member supporting the slab is called 'Beam'. 3. Plinth Beam:- The beam at ground level or plinth level is called 'Column'. 5. Foundation: - The system below ground transferring the entire load of the structure to the soil is called 'Foundation'. • slab • Beams •Plinth beam •Columns •Foundation Fig 3. Elements of RCC framed building codes for Design :The design, published by the Bureau of Indian Standards, New Delhi. Purpose of Codes:- National building codes have been formulated in different countries to lay down guidelines for the design and construction of structure. The codes have evolved from the years. These codes are periodically revised to bring them in line with current research, and often, current trends. Firstly, they ensure adequate structural safety, by specifying certain essential minimum requirement for design. 5|P a g e Secondly, they r ender the task of the designers. is made available in the form of a simple formula or chart. Thirdly, the codes ensure a measure of consistency among different designers. Finally, they have some legal validity in that they protect the structural designer from any liability due to structural failures that are caused
by inadequate supervision and/or faulty material and construction. (i) IS 456 : 2000 - Plain and reinforced concrete - code of practice (fourth revision) (ii) Loading Standards These loads to be considered for structural design are specified in the following loading standards: IS 875 (Part 1 - 3): 1987 - Code of practice f or design loads (other than earthquake) f or buildings and structures (second revision) Part 1: Dead loads Part 2: Imposed (live) loads Part 3: Wind loads IS 13920: 1993 - Ductile detailing of reinforced concrete structure subject to seismic forces. Design Handbooks The Bureau of Indian standards has also published the following handbooks, which serve as useful supplement to the 1978 version of the codes. Although the handbooks need to be valid (especially with regard to structural design provisions). SP 16 : 1980 - Design Aids (for Reinforced Concrete) to IS 456 : 2000 6|P a g e 3.0 AIM OF DESIGN: The aim of design is achievement of an acceptable probability that structures being designed shall, with an appropriate degree of safety - Perform satisfactorily during their intended life. Sustain all loads and deformations of normal construction & use Have adequate durability Have adequate resistance to the effects of misuse and fire. 4.0 METHOD OF DESIGN:- Structure and structural elements shall normally be designed by Limit State Method. DESIGN LOAD:- Design load is the load to be taken for use in appropriate method of design. It is Characteristic load with appropriate partial safety factors for limit state design. Table 1:- values of partial safety factor for loads (IS 456:2000, TABLE 18) 7|P a g e 5 REQUIREMENT OF REINFORCEMENT FOR STRUCTURAL MEMBER 5.1 Beams 5.1.1 Tension reinforcement (a) Minimum reinforcement: The minimum area of tension reinforcement shall not be less than that given by the following: As/bd = 0.85/fy where As = minimum area of tension reinforcement in M/mm2 (b) Maximum reinforcement: b = breadth of the web of T-beam. d = effective depth, and fy = characteristic strength of reinforcement in M/mm2 (b) Maximum reinforcement: b = breadth of the web of T-beam. d = effective depth, and fy = characteristic strength of reinforcement in M/mm2 (b) Maximum reinforcement: b = breadth of the web of T-beam. d = effective depth, and fy = characteristic strength of reinforcement in M/mm2 (b) Maximum reinforcement. b = breadth of the web of T-beam. d = effective depth, and fy = characteristic strength of reinforcement in M/mm2 (b) Maximum reinforcement. b = breadth of the web of T-beam. d = effective depth, and fy = characteristic strength of the web of T-beam. d = effective depth, and fy = characteristic strength of the web of T-beam. d = effective depth, and fy = characteristic strength of the web of T-beam. d = effective depth, and fy = characteristic strength of the web of T-beam. d = effective depth, and fy = characteristic strength of the web of T-beam. d = effective depth, and fy = characteristic strength of the web of T-beam. d = effective depth, and fy = characteristic strength of the web of T-beam. d = effective depth, and fy = characteristic strength of the web of T-beam. d = effective depth, and fy = characteristic strength of the web of T-beam. d = effective depth, and fy = characteristic strength of the web of T-beam. d = effective depth, and fy = characteristic strength of the web of T-beam. d = effective depth, and fy = characteristic strength of the web of T-beam. d = effective depth, and fy = characteristic strength of the web of T-beam. d = effective depth, and fy = characteristic strength of the web of T-beam. d = effective depth of the web of T-beam. d = effective depth of the web of T-beam. d = effective depth of the web of T-beam. d = effective depth of the web of T-beam. d = effective depth of the web of T-beam. d = effective depth o 0.04bD. 5.1.2 Compression reinforcement The maximum area of compression reinforcement shall not exceed 0.04 bd. Compression reinforcement in beams shall be enclosed by stirrups for effective lateral restraint. 5.1.3 Maximum spacing of shear reinforcement means long by axis of the member shall not exceed 0.75 d for vertical stirrups and d for inclined stirrups at 45 where d is the effective depth on the section under consideration. In no case shall be provided such that: Asv / bsv > 0.4/0.87 fy Where Asv = total cross-sectional area of stirrups legs effective in shear. Sv = stirrups spacing along the length of the member b = breadth of the stirrups reinforcement in N/mm2which shall not taken greater than 415 N/mm2 5.1.5 Minimum Distance between Individual Bars (a) The horizontal distance between two parallel main reinforcing bars shall usually be not-less than the greatest of the following: (i) Dia of larger bar and (ii) 5 mm more than nominal maximum size of coarse aggregate. (b) When needle vibrators are used it may be reduced to 2/3rdof nominal maximum size of coarse aggregate, Sufficient space must be left between bars to enable vibrator to be immersed. (c) Where there are two or more rows of bars, bars shall be vertically in line and the minimum size of aggregate or the maximum size of bars, whichever is greater. 9|P a g e 5.2. Slabs: 5.2.1 Minimum reinforcement:- The mild steel reinforcement in either direction in slabs shall not be less than 0.15 percent of the total cross-sectional area. However, this value can be reduced to 0.12 percent when high strength deformed bars or welded wire fabric are used. 5.2.2 Maximum diameter. The diameter of reinforcing bars shall not exceed one eight of the total thickness ofslab. 5.2.3 Maximum distance between bars - Slabs 1) The horizontal distance between parallel main reinforcement bars shall not be more than three times the effective depth of solid slab or 300 mm whichever is smaller. 2) The horizontal distance between parallel reinforcement bars provided against shrinkage and temperature shall not be more than five times the effective depth of a solid slab or 300 mm whichever is smaller. 5.2.4 Torsion reinforcement - Slab Torsion reinforcement is to be provided at any corner where the slab is simply supported on both edges meeting at that corner. It shall consist of top and bottom reinforcement, each with layers of bars placed parallel to the slab and extending from the edges a minimum distance of one-fifth of the shorter span. The area of reinforcement in each of these four layers shall be not less than 0.8% nor more than 6% of the gross sectional area of the column. Although it is recommended that the maximum area of steel should not exceed 4% to avoid practical difficulties in placing & compacting concrete. 10 | P a g e b. In any column that has a larger cross sectional area than that required to support the load, the minimum percentage steel must be based on the area of concrete resist the direct stress & not on the actual area. c. The bar should not be less than 12 mm in diameter so that it is sufficiently rigid to stand up straight in the columns fixing and concerting. d. The minimum member of longitudinal bars provided in a column shall be four in rectangular columns & six in circular columns. e. A reinforced concrete column having helical reinforcement must have at least six bars of longitudinal reinforcement with the helical reinforcement with the helical reinforcement & equidistance around its inner circumference. f. Spacing of longitudinal should not exceed 300 mm along periphery of acolumn. g. In case of pedestals, in which the longitudinal reinforcement is not taken into account in strength calculations, nominal reinforcement a. The diameter of lateral ties should not be less than 1/4 of the diameter of the largest longitudinal bar in no case should not be less than 6 mm. b. Spacing of lateral ties should not exceed least of the following: Least lateral dimension of the column 16 times to be tied. 300mm. 5.4 SHEAR 5.4.1 Nominal Shear Stress The nominal shear stress in beams of uniform depth shall be obtained by the following equation: 11 | P a g e $\tau v = Vu/$ b.d where Vu = shear force due to design loads; b = breadth of the member, which for flanged section shall be taken as the breadth of the appropriate values given in Table 20 of IS 456:2000. CONCRETE M15 M20 M25 M30 M35 M40 & above 2.5 2.8 3.1 3.5 3.7 4.0 GRADE Tc max, N/mm2 TABLE 2:- MAXIMUM SHEAR STRESS, $\tau cmax$, N/mm2 (Table 20 of IS 456:2000) 5.4.2 Minimum Shear Reinforcement shall be provided in accordance with clause 26.5.1.6 of IS 456:2000. 12 | P a g e 100 Ast / bd Concrete grade M15 M20 M25 M30 M35 M40 & above Xu,max/d = 0.479 and Ru = 2.761 Fck = 20 N/mm2 Step 2: Computation of design B.M. and S.F. : Assume,L/d = 20 for simply supported slab (from the point of deflection) Pt = 20% for under reinforced section ft (Modification factor) = 1.5 Taking c/c dis. L = 3.2m => L/d = 20×1.5 d = 136.66 mm. 140mm. Providing 20mm. nominal cover and 8mm. Ø bars D = 140+20+4 = 164 165mm. Design load (Wu) :For, depth (D) = $165mm. = 0.165m. 18 \mid P a g e DL$ (wt. of slab/m2) = vol. × density = (0.165m.×1m.×1m.)×(25 KN/m2 = 3 KN/m2 So, Total load = 4.125 + 3 = 7.125 KN/m2 = 3 KN/m2 So, Total load = 4.125 + 3 = 7.125 KN/m2 = 3 KN/m2 So, Total load = 4.125 + 3 = 7.125 KN/m2 = 3 KN/m2 So, Total load = 4.125 + 3 = 7.125 KN/m2 = 3 KN/m2 So, Total load = 4.125 + 3 = 7.125 KN/m2 = 3 KN/m2 So, Total load = 4.125 + 3 = 7.125 KN/m2 = 3 KN/m2 So, Total load = 4.125 + 3 = 7.125 KN/m2 = 3 KN/m2 So, Total load = 4.125 + 3 = 7.125 KN/m2 = 3 KN/m2 So, Total load = 4.125 + 3 = 7.125 KN/m2 = 3 KN/m2 So, Total load = 4.125 KN/m2 = 3 KN/m2 So, Total load = 4.125 + 3 = 7.125 KN/m2 = 3 KN/m2 So, Total load = 4.125 + 3 = 7.125 KN/m2 So, Total load = 4.125 KN/m2 = 3 KN/m2 So, Total load = 4.125 + 3 = 7.125 KN/m2 So, Total load = 4.125 KN/m2 So, Total load = 4. Design bending moment (Mu): Mu = Wu × 12/8 = (10.687 × 3.22) / 8 = 13.68 KN-m Step 3: Computation of effective depth : For, b(width) = 1m. = 1000mm d = $\sqrt{Mu} / (Ru \times
b) = \sqrt{(13.68 \times 106)} / (2.761 \times 1000) = 70.38mm dassumed = D-20-4 = 165-20-4 = 141mm Step 4: - Steel reinforcement : Main reinforcement : Astreq. = 1000mm d = \sqrt{Mu} / (Ru \times b) = \sqrt{(13.68 \times 106)} / (2.761 \times 1000) = 70.38mm dassumed = D-20-4 = 165-20-4 = 141mm Step 4: - Steel reinforcement : Main reinforcement : Astreq. = 1000mm d = \sqrt{Mu} / (Ru \times b) = \sqrt{(13.68 \times 106)} / (2.761 \times 1000) = 70.38mm dassumed = D-20-4 = 165-20-4 = 141mm Step 4: - Steel reinforcement : Main reinforcement : Astreq. = 1000mm d = \sqrt{Mu} / (Ru \times b) = \sqrt{(13.68 \times 106)} / (2.761 \times 1000) = 70.38mm dassumed = D-20-4 = 165-20-4 = 141mm Step 4: - Steel reinforcement : Main reinforcement : Astreq. = 1000mm d = \sqrt{Mu} / (Ru \times b) = \sqrt{(13.68 \times 106)} / (2.761 \times 1000) = 70.38mm dassumed = D-20-4 = 165-20-4 = 141mm Step 4: - Steel reinforcement : Main reinforcement : Astreq. = 1000mm d = \sqrt{Mu} / (Ru \times b) = \sqrt{(13.68 \times 106)} / (2.761 \times 1000) = 70.38mm dassumed = D-20-4 = 165-20-4 = 141mm Step 4: - Steel reinforcement : Astreq. = 1000mm d = \sqrt{Mu} / (Ru \times b) = \sqrt{(13.68 \times 106)} / (2.761 \times 1000) = 70.38mm dassumed = D-20-4 = 165-20-4 = 141mm Step 4: - Steel reinforcement : Astreq. = 1000mm d = \sqrt{Mu} / (Ru \times b) = \sqrt{(13.68 \times 106)} / (2.761 \times 1000) = 70.38mm dassumed = D-20-4 = 165-20-4 = 141mm Step 4: - Steel reinforcement : Astreq. = 1000mm d = \sqrt{(13.68 \times 106)} / (2.761 \times 1000) = 70.38mm dassumed = D-20-4 = 165-20-4 = 141mm Step 4: - Steel reinforcement : Astreq. = 1000mm d = \sqrt{(13.68 \times 106)} / (2.761 \times 1000) = 70.38mm dassumed = D-20-4 = 165-20-4 = 141mm Step 4: - Steel reinforcement : Astreq. = 1000mm d = \sqrt{(13.68 \times 106)} / (2.761 \times 1000) = 70.38mm dassumed = D-20-4 = 141mm Step 4: - Steel reinforcement : Astreq. = 1000mm d = 141mm Step 4: - Steel reinforcement : Astreq. = 1000mm d = 141mm Step 4: - Steel reinforcement : Astreq. = 1000mm d = 141mm Step 4: - Steel reinforcement : Astreq. = 1000mm$ $0.5fck/fy \{1-\sqrt{1-4.6Mu}/fck\times b\times d2\} \times bd = 0.5 \times 20/415 \{1-\sqrt{1-4.6(13.68\times 106)/(20\times 1000\times 1412)}\} \times 1000 \times 141 = 280.42$ Spacing (S) = (1000 × 50.3)/300 = 167 300 mm2 160mm c/c, which is < 3d = 423mm and 300mm Astactual = (1000 × 50.3)/160 = 314.3mm2 Pt = 100Ast/bd = (100×314.3)/(1000×141) = 0.22 = 20% (Page no.-73) 19 | Page no.-7 Note :- Bend alternate bars of main reinforcement up at a dis. of l/7 = 4100/7 = 585.7mm from the face of support. Distribution reinforcement:Astmini. = $0.12\% \times bD = (0.12/100) \times 1000 \times 165 = 198$ mm2 Spacing (S) = $(1000 \times 50.3)/198 = 254$ mm., which is ft (modification factor) = 1.68 From the deflection pt. of view, L/dreq. = $20 \times ft 4100/dreq$. = $20 \times 1.68 = 122 = 20 \times ft 4100/dreq$. = 125mm But, available dprovided = 141mm Hence, safe. Step 6:- Check for shear strength of concrete (tc.k): * Page no.72:- 40.2.11 => k= for D=165mm. *Page no.73:table19 => tc =0.28 for M20, Pt = 10% (at supports =1/2×20%) So, ktc = ×0.28 = Now, tv Xu, max/d = 0.479 and Ru = 2.761 Fck = 20 N/mm2 Step 2: Computation of design load and B.M. : (Page no. 35):Assume, L/d = 35 for simply supported slab L/d=35×0.8 (If HYSD bars are used then L/d and B.M. : (Page no. 35):Assume, L/d = 35 for simply supported slab L/d=35×0.8 (If HYSD bars are used then L/d and B.M. : (Page no. 35):Assume, L/d = 35 for simply supported slab L/d=35×0.8 (If HYSD bars are used then L/d and B.M. : (Page no. 35):Assume, L/d = 35 for simply supported slab L/d=35×0.8 (If HYSD bars are used then L/d and B.M. : (Page no. 35):Assume, L/d = 35 for simply supported slab L/d=35×0.8 (If HYSD bars are used then L/d and B.M. : (Page no. 35):Assume, L/d = 35 for simply supported slab L/d=35×0.8 (If HYSD bars are used then L/d and B.M. : (Page no. 35):Assume, L/d = 35 for simply supported slab L/d=35×0.8 (If HYSD bars are used then L/d and B.M. : (Page no. 35):Assume, L/d = 35 for simply supported slab L/d=35×0.8 (If HYSD bars are used then L/d and B.M. : (Page no. 35):Assume, L/d = 35 for simply supported slab L/d=35×0.8 (If HYSD bars are used then L/d and B.M. : (Page no. 35):Assume, L/d = 35 for simply supported slab L/d=35×0.8 (If HYSD bars are used then L/d and B.M. : (Page no. 35):Assume, L/d = 35 for simply supported slab L/d=35×0.8 (If HYSD bars are used then L/d and B.M. : (Page no. 35):Assume, L/d = 35 for simply supported slab L/d=35×0.8 (If HYSD bars are used then L/d and B.M. : (Page no. 35):Assume, L/d and B.M. : must be multiplied with 0.8, but if mild steel is used then no need to multiply) Pt = 20% for under reinforced section (can be taken upto 30% for HYSD bars and 40-50% for mild steel and these values are generally taken by experience) ft (Modification factor) = 1.68 Now, L/d = 35 × 0.8 × 1.68 (*page no.-380) (for slabs spanning in two directions, => $2500/d = 35 \times 0.8 \times 1.68$ L=shorter of two spans(3.4×2.5) should => be used for calculating L/d ratio) d = 53.14 60mm. Providing nominal cover of 20mm. and 8mmØ bars D= 60+20+4=84mm 100mm 23 | P a g e Design load(Wu) : for D=100mm = 0.1m DL(wt. of slab/m2) = vol.×density =(0.1m×1m×1m)×25KN/m2 = 2.5KN/m2 LL+FF(imposed loads) =1.5+1.5=3KN/m2 So,total load =2.5+3=5.5KN/m2 Design load(Wu) $=1.5\times5.5=8.25$ KN/m2 Design moment(Mu): Taking d=60mm: ly =3.4+0.06=3.46mm {page no.91 table:27: for ly/lx =3.46/2.56=1.4, lx =2.5+0.06=2.56mm $=> \alpha x =0.099, \alpha y =0.051$ } Mux $= \alpha x$..Wu..lx2 $= 0.099\times8.25\times2.562=5.353$ KN-m Muy $= \alpha y$.Wu.ly2 = $0.051 \times 8.25 \times 3.462 = 5.037$ KN-m (Page no. 90) :For long span, width of middle strip = $\frac{3}{4}$ ly = $\frac{3}{4}$ (3.46) = 2.6m width of edge strip = $\frac{3}{4}$ ly = $\frac{3}{4}$ (2.56) = 0.43m For short span, width of edge strip = $\frac{3}{4}$ ly = $\frac{3}{4}$ (2.56) = 0.43m For short span, width of edge strip = $\frac{3}{4}$ ly = $\frac{3}{4}$ (2.56) = 0.43m For short span, width of edge strip = $\frac{3}{4}$ ly = $\frac{3}{4}$ (2.56) = 0.43m For short span, width of edge strip = $\frac{3}{4}$ ly = $\frac{3}{4}$ (2.56) = 0.43m For short span, width of edge strip = $\frac{3}{4}$ ly = $\frac{3}{4}$ (2.56) = 0.43m For short span, width of edge strip = $\frac{3}{4}$ ly = $\frac{3}{4}$ (2.56) = 0.43m For short span, width of edge strip = $\frac{3}{4}$ (2.56) = 0.43m For short span, width of edge strip = $\frac{3}{4}$ (2.56) = 0.43m For short span, width of edge strip = $\frac{3}{4}$ (2.56) = 0.43m For short span, width of edge strip = $\frac{3}{4}$ (2.56) = 0.43m For short span, width of edge strip = $\frac{3}{4}$ (2.56) = 0.43m For short span, width of edge strip = $\frac{3}{4}$ (2.56) = 0.43m For short span, width of edge strip = $\frac{3}{4}$ (2.56) = 0.43m For short span, width of edge strip = $\frac{3}{4}$ (2.56) = 0.43m For short span, width of edge strip = $\frac{3}{4}$ (2.56) = 0.43m For short span, width of edge strip = \frac{3}{4} (2.56) = 0.43m For short span, width of edge strip = \frac{3}{4} (2.56) = 0.43m For short span, width of edge strip = \frac{3}{4} (2.56) = 0.43m For short span, width of edge strip = \frac{3}{4} (2.56) = 0.43m For short span, width of edge strip = \frac{3}{4} (2.56) = 0.43m For short span, width of edge strip = \frac{3}{4} (2.56) = 0.43m For short span, width of edge strip = \frac{3}{4} (2.56) = 0.43m For short span, width of edge strip = \frac{3}{4} (2.56) = 0.43m For short span, width of edge strip = \frac{3}{4} (2.56) = 0.43m For short span, width of edge strip = \frac{3}{4} (2.56) = 0.43m For short span, width of edge strip = \frac{3}{4} (2.56) = 0.43m For short span, width of edge strip = \frac{3}{4} (2.56) = 0.43m For short span, width of edge strip = \frac{3}{4} (2.56) = 0.43m For short spa $\sqrt{(5.35 \times 106)}/(2.761 \times 1000) = 44.01$ mm but, from point of deflection, Dassumed = 100mm with nominl cover=20mm and 8mm@ bars 24 | P a g e So, dshort span = 100-20-4 = 76mm dlong span = 100-20-4 = 68mm Step 4: Computation of steel reinforcement for short span (lx = 2.56m): Astx = 0.5fck/fy{1- $\sqrt{1-4.6Mux/fck.b.d2}$. b.d. = 0.5 × 20/415 {1- $\sqrt{1-4.6Mux/fck.b.d2}}$. b.d. = 0.5 × 20/415 {1- $\sqrt{1-4.6Mux/fck.b.d2}}$. $(4.6 \times 5.35 \times 106)/(20 \times 1000 \times 762)$ × 1000 × 76 = 206.9 207 mm2 Providing 8 mmØ bars, Spacing(S) = 1000 \times 50.3/207 = 242.99 mm 200 mmc/c Hence, providing 8 mmØ bars @200 mmc/c for middle strip of lx = 0.32 m Reinforcement in edge strip = 1.2D = 1.2(100) = 120 mm2 Spacing(S) = 1000 \times 50.3/207 = 242.99 mm 200 mmc/c Hence, providing 8 mmØ bars @200 mmc/c Hence, providing 8 mm0 bars @200 mmc/c Hence, providing 8 mm0 bars @200 mmc/c Hence, prov c/c Note: Bend half the bars up at a distance of 0.15lx = 0.15(2.56) = 0.384m = 384mm from centre of support. Step 5 :Reinforcement for long span (ly=3.46m): Asty=0.5×20/415{1-\1- (4.6×5.037×106)/(20×1000×682)} = 220mm2 Providing 8mmØ bars, Spacing (Sy) = 1000×50.3/220 = 229mm 220mm c/c Hence, providing 8mmØ /c in middle strip of $\frac{3}{4}(ly) = \frac{3}{4}(3.46) = 2.6m$ Edge strip of ly = 0.43m Reinforcement in edge strip = 1.2D = 120mm2 25 | P a g e Spacing(S) = 1000 \times 50.3/120 = 419mm c/c Step 6: Torsional mesh = lx/5 = 2.56/5 = 0.512m from the centre of support Area of torsional reinforcement at corners: Size of torsional mesh = lx/5 = 2.56/5 = 0.512m from the centre of support Area of torsional reinforcement at corners: Size of torsional mesh = lx/5 = 2.56/5 = 0.512m from the centre of support Area of torsional reinforcement = $\frac{3}{4}Astx = \frac{3}{4}(207) = 155.25mm2$ Spacing (S) =1000×50.3/155.25 =323mm c/c Step 7 :Check for shear and development length in short span(lx) :Shear force at long edges(Vu) =Wu×lx×r/(2+r) =8696.4 N Page no.72 :- $tv = Vu/b.dx =
8696.4/(1000\times76) = 0.114$ N/mm2 Page no.44:- At simply supports, Ø of bars should be so restricted that following requirement is satisfied *Mu1 = 0.87 fyAst1/($d \cdot 0.416xu$) :- (1.3Mu1/Vu) + LO > Ld {*Ast1 at supports of short span= $\frac{1}{2}(1000 \times 50.3/200) = 125.75$ mm *Xu = $0.87 \times 415 \times 125.75$ / (100-0.416×6.3) = Nmm *Xu = 0.87 \times 125.75 =160/2 - 20 = 60 mm *Ld (Development length of bars: page no.42):Ld = $\emptyset \sigma s / 4$ tbd = 60 % of 0.87 fy @ / (4 tbd) {page no.43:- tbd for M20 = 1.2 and this value should be increased by 60%} 26 | P a g e = $0.6 \times \{0.87 \times 415 \times 8 / 4 \times 1.2\}$ = 376 mm So, (1.3Mu1/Vu) + LO > Ld (1.3 \times 3.3 \times 106/8696.6) + 60 > Ld => 553 > 376 Hence, satisfied. Step 8 :-Distribution of loading in two way slab :- (page no. 41) Fig 6 two way slab load distribution and action for slab S3 27 | P a g e Two way slab (S1) :- (BEDROOOM: 3.15 × 3.4m2 c/c) Step 1: Design constants and limiting depth of neutral axis :For, Fy = 415 N/mm2 => Xu, max/d = 0.479 and Ru = 2.761 Fck = 20 N/mm2 Step 2: Computation of design load and B.M. : Assume, L/d = 35 for simply supported slab $L/d = 35 \times 0.8$ (If HYSD bars are used then L/d must be multiplied with 0.8, but if mild steel is used then no need to multiply) Pt = 20% for under reinforced section (can be taken upto 30% for HYSD bars and 40-50% for mild steel and these values are generally taken by experience) ft (Modification $DL(wt. of slab/m2) = vol. \times density = (0.1m \times 1m \times 1m) \times 25KN/m2 = 2.5KN/m2 LL + FF(imposed loads) = 1.5 + 1.5 = 3KN/m2 So. total load = 2.5 + 3 = 5.5KN/m2 Design moment(Mu) = 1.5 \times 5.5 = 8.25KN/m2 Design moment(Mu) = 1.5 \times 5.5 = 8.25KN/m$ =3.22mm => $\alpha x = 0.074, \alpha y = 0.061$ } Mux = αx ..Wu.lx2 = 0.074×8.25×3.222 =6.329KN-m Muy = αy .Wu.ly2 = 0.061×8.25×3.472 = 6.059 KN-m (Page no. 90) :For long span(ly), width of middle strip = 3/4 ly = $\frac{3}{4}(3.47) = 2.60$ m width of edge strip = $\frac{1}{2}(3.47-2.6) = 0.435$ m For short span(lx), width of middle strip = 3/4 lx = $\frac{3}{4}(3.22) = 2.415$ m width of edge strip = $\frac{1}{2}(3.22-2.415) = 0.402$ m Step 3: Computation of effective depth : For, b(width) = 1m. = 1000mm d = $\sqrt{Mux/(Ru \times b)} = \sqrt{(6.329 \times 106)} / (2.761 \times 1000) = 47.87$ mm 29 | P a g e but, from point of deflection, Dassumed = 100 mm with nominal cover=20 mm and 8 mmØ bars So, dshort span(x) = 100-20-4 = 76mm dlong span(y) = 100-20-4 = 68 mm Step 4: Computation of steel reinforcement for short span (lx = 3.22m): Astx = $0.5fck/fy{1-\sqrt{1-4.6Mux/fck.b.d2}}$. bdx. = $0.5\times20/415$ { $1-\sqrt{1} - (4.6\times6.327\times106)/(20\times1000\times762)$ } × 1000×762 } × 1 $= \frac{3}{4}(x) = 2.415m$ Edge strip of x = 0.402m Reinforcement in edge strip = 1.2D = 1.2(100) = 120mm2 Spacing(S) = 1000×50.3/120 = 419mm c/c Note: Bend half the bars up at a distance of 0.15x = 0.483m from centre of support. Step 5 :Reinforcement for long span (ly=3.47m): Asty=0.5×20/415{1-\sqrt{1-100}} $(4.6 \times 6.059 \times 106)/(20 \times 1000 \times 682)$ × 1000 × 68 = 268.9 mm2 Providing 8 mmØ bars, 270 mm2 Spacing(S) = 1000 \times 50.3/270 = 186 mm 180 mm c/c Hence, providing 8 mmØ /c in middle strip of $\frac{3}{4}(1y) = \frac{3}{4}(3.47) = 2.6 m 30$ | P a g e Edge strip of $\frac{1}{2}(3.47) = 2.6 m 30$ | P a g e Edge strip of $\frac{1}{2}(3.47) = 2.6 m 30$ | P a g e Edge strip of $\frac{1}{2}(3.47) = 2.6 m 30$ | P a g e Edge strip of $\frac{1}{2}(3.47) = 2.6 m 30$ | P a g e Edge strip of $\frac{1}{2}(3.47) = 2.6 m 30$ | P a g e Edge strip of $\frac{1}{2}(3.47) = 2.6 m 30$ | P a g e Edge strip of $\frac{1}{2}(3.47) = 2.6 m 30$ | P a g e Edge strip of $\frac{1}{2}(3.47) = 2.6 m 30$ | P a g e Edge strip of $\frac{1}{2}(3.47) = 2.6 m 30$ | P a g e Edge strip of $\frac{1}{2}(3.47) = 2.6 m 30$ | P a g e Edge strip of $\frac{1}{2}(3.47) = 2.6 m 30$ | P a g e Edge strip of $\frac{1}{2}(3.47) = 2.6 m 30$ | P a g e Edge strip of $\frac{1}{2}(3.47) = 2.6 m 30$ | P a g e Edge strip of $\frac{1}{2}(3.47) = 2.6 m 30$ | P a g e Edge strip of $\frac{1}{2}(3.47) = 2.6 m 30$ | P a g e Edge strip of $\frac{1}{2}(3.47) = 2.6 m 30$ | P a g e Edge strip of $\frac{1}{2}(3.47) = 2.6 m 30$ | P a g e Edge strip of $\frac{1}{2}(3.47) = 2.6 m 30$ | P a g e Edge strip of $\frac{1}{2}(3.47) = 2.6 m 30$ | P a g e Edge strip of $\frac{1}{2}(3.47) = 2.6 m 30$ | P a g e Edge strip of $\frac{1}{2}(3.47) = 2.6 m 30$ | P a g e Edge strip of $\frac{1}{2}(3.47) = 2.6 m 30$ | P a g e Edge strip of $\frac{1}{2}(3.47) = 2.6 m 30$ | P a g e Edge strip of $\frac{1}{2}(3.47) = 2.6 m 30$ | P a g e Edge strip of $\frac{1}{2}(3.47) = 2.6 m 30$ | P a g e Edge strip of $\frac{1}{2}(3.47) = 2.6 m 30$ | P a g e Edge strip of $\frac{1}{2}(3.47) = 2.6 m 30$ | P a g e Edge strip of $\frac{1}{2}(3.47) = 2.6 m 30$ | P a g e Edge strip of $\frac{1}{2}(3.47) = 2.6 m 30$ | P a g e Edge strip of $\frac{1}{2}(3.47) = 2.6 m 30$ | P a g e Edge strip of $\frac{1}{2}(3.47) = 2.6 m 30$ | P a g e Edge strip of $\frac{1}{2}(3.47) = 2.6 m 30$ | P a g e Edge strip of $\frac{1}{2}(3.47) = 2.6 m 30$ | P a g e Edge strip of $\frac{1}{2}(3.47) = 2.6 m 30$ | P a g e Edge strip of \frac{1}{2}(3.47) = 2.6 m 30 | P a g e Edge c/c Note: Bend half the bars up at a distance of 0.15ly = 0.52m = 520mm from centre of support. Step 6: Torsional reinforcement at corners: Size of torsional reinforcement = $\frac{3}{4}$ Astx = $\frac{3}{4}(250) = 187.5$ mm2 Spacing (S) = $1000 \times 50.3/187.5 = 268$ mm c/c Step 7 : Check for shear and development length in short span(lx) : Shear force at long edges (Vu) = $Wu \times lx \times r/(2+r) = 8250 \times 3.22 \times 1.4 / (2+1.4) = 10938 N$ Page no.44:- At long edges, Ø of bars should be so restricted that following requirement is satisfied :- (1.3Mu1/Vu) + LO > Ld *Mu1 = 0.87 fyAst1/(dx + 1.4) = 10938 N Page no.42:- tv = Vu/b.dx = 10938 N Page no.44:- At long edges, Ø of bars should be so restricted that following requirement is satisfied :- (1.3Mu1/Vu) + LO > Ld *Mu1 = 0.87 fyAst1/(dx + 1.4) = 10938 N Page no.44:- At long edges, Ø of bars should be so restricted that following requirement is satisfied :- (1.3Mu1/Vu) + LO > Ld *Mu1 = 0.87 fyAst1/(dx + 1.4) = 10938 N 0.416 xu {*Ast1 at supports of short span= $\frac{1}{2}(1000 \times 50.3/250) = 100.6 \text{mm2} = 0.87 \times 415 \times 100.6/(76-0.416 \times 5.04) = 491.47 \text{ Nmm *Xu} = 0.87 \text{ fy.Ast1}/(0.36 \text{ fck.b}) = 5.04 \text{ mm}$ } *Assuming that width of support ls = 160 mm and a side cover(x') of 20 mm 31 | P a g e Provinding no hooks; Lo= ls/2 - x' = 160/2 - 20 = 60 \text{ mm} *Ld (Development length of bars: page no.42:Ld = $\delta\sigma_s / 4$ tbd = 60 % of 0.87 fy $\delta / (4tbd)$ {page no.43:- tbd for M20 = 1.2 and this value should be increased by 60%} = 0.6 × {0.87 × 415 × 8 / 4 × 1.2} = 376 mm So, (1.3Mu1/Vu) + LO > Ld (1.3 × /10938) + 60 > Ld => >376 Hence, satisfied. Step 8 :-Distribution of loading in two way slab :- (page no. 41) Fig 7 two slab load distribution for slab S1 32 | P a g e Two way slab (S4) : (LIVING ROOM: 3.2*4.4 mm c/c) Step 1: Design constants and limiting depth of neutral axis :For, Fy = 415 N/mm2 => Xu, max/d = 0.479 and Ru = 2.761 Fck = 20 N/mm2 Step 2: Computation of design load and B.M. : (Page no. 35): Assume, L/d = 35 for simply supported slab L/d= 35×0.8 (If HYSD bars are used then L/d must be multiplied with 0.8, but if mild steel is used then no need to multiply) Pt = 20% for under reinforced section (can be taken upto 30% for HYSD bars and 40-50% for mild steel and these values are generally taken by experience) ft (Modification factor) = 1.68 Now, L/d = $35 \times 0.8 \times 1.68$ (*page no.-380 (for slabs spanning in two directions, => $2500/d = 35 \times 0.8 \times 1.68$ L=shorter of two spans(3.4×2.5
) should => be used for calculating L/d ratio) d = 53.14 60mm. Providing nominal cover of 20mm. and 8mmØ bars D = 60+20+4=84mm 100mm Design load(Wu): $33 \mid P \mid a \mid g \mid e \mid for D = 100$ mm = 0.1m DL(wt. of slab/m2) = vol.×density =(0.1m×1m×1m)×25KN/m2 = 2.5KN/m2 LL+FF(imposed loads) =1.5+1.5=3KN/m2 So,total load =2.5+3=5.5KN/m2 Design load(Wu) $=1.5\times5.5=8.25$ KN/m2 Design moment(Mu): Taking d=60mm: ly = 3.4+0.06=3.46mm {page no.91 table:27:- for ly/lx = 3.46/2.56=1.4 lx =2.5+0.06=2.56mm => $\alpha x = 0.099, \alpha y = 0.051$ } Mux = αx ..Wu..lx2 = $0.099\times8.25\times2.562=5.353$ KN-m Muy = αy .Wu.ly2 = $0.051 \times 8.25 \times 3.462 = 5.037$ KN-m (Page no. 90) :For long span(ly), width of middle strip = $\frac{3}{4}$ ly = $\frac{3}{4}$ (2.56) = 1.92m Width of edge strip = $\frac{1}{2}(2.56-1.92) = 0.32m$ Step 3: Computation of effective depth : For, b(width) = 1m. = 1000mm d = 1000 $\sqrt{Mu}/(Ru \times b) = \sqrt{(5.35 \times 106)} / (2.761 \times 1000) = 44.01$ mm but, from point of deflection, Dassumed = 100mm with nominl cover=20mm and 8mmØ bars 34 | P a g e So, dshort span = 100-20-4 = 76mm dlong span = 100-20-4 = $=0.5 \times 20/415 \{1 - \sqrt{1} - (4.6 \times 5.35 \times 106)/(20 \times 1000 \times 762)\} \times 1000 \times 76 = 206.9 \ 207 \text{mm2}$ Providing 8mmØ bars, Spacing(Sx) = 1000 \times 50.3/207 = 242.99 mm 200 mmc/c for middle strip of short span = $\frac{3}{4}(lx) = 1.92 \text{m}$ Edge strip of lx = 0.32 m Reinforcement in edge strip = 1.2D = 1.2(100) = 120 \text{mm2} Spacing(S) = $1000 \times 50.3/120 = 419$ mm c/c Note: Bend half the bars up at a distance of 0.15 = 0.384 m = 384 mm from centre of support. Step 5 : Reinforcement for long span (ly=3.46m): Asty= $0.5 \times 20/415$ { $1-\sqrt{1-(4.6 \times 5.037 \times 106)/(20 \times 1000 \times 682)}}$ = 220 mm 2 Providing 8 mm Ø bars, Spacing (Sy) = $1000 \times 50.3/220 = 229$ mm 220 mm c/c Hence, providing 8 mm Ø bars, Spacing (Sy) = $1000 \times 50.3/220 = 229$ mm 220 mm c/c Hence, providing 8 mm Ø bars, Spacing (Sy) = $1000 \times 50.3/220 = 229$ mm 220 mm c/c Hence, providing 8 mm Ø bars, Spacing (Sy) = $1000 \times 50.3/220 = 229$ mm 220 mm c/c Hence, providing 8 mm Ø bars, Spacing (Sy) = $1000 \times 50.3/220 = 229$ mm 220 mm c/c Hence, providing 8 mm Ø bars, Spacing (Sy) = $1000 \times 50.3/220 = 229$ mm 220 mm c/c Hence, providing 8 mm Ø bars, Spacing (Sy) = $1000 \times 50.3/220 = 229$ mm 220 mm c/c Hence, providing 8 mm Ø bars, Spacing (Sy) = $1000 \times 50.3/220 = 229$ mm 220 mm c/c Hence, providing 8 mm Ø bars, Spacing (Sy) = $1000 \times 50.3/220 = 229$ mm 220 mm c/c Hence, providing 8 mm Ø bars, Spacing (Sy) = $1000 \times 50.3/220 = 229$ mm 220 mm c/c Hence, providing 8 mm Ø bars, Spacing (Sy) = $1000 \times 50.3/220 = 229$ mm 220 mm c/c Hence, providing 8 mm Ø bars, Spacing (Sy) = $1000 \times 50.3/220 = 229$ mm 220 mm c/c Hence, providing 8 mm Ø bars, Spacing (Sy) = $1000 \times 50.3/220 = 229$ mm 220 mm c/c Hence, providing 8 mm Ø bars, Spacing (Sy) = $1000 \times 50.3/220 = 229$ mm c/c Hence, providing 8 mm Ø bars, Spacing (Sy) = $1000 \times 50.3/220 = 229$ mm c/c Hence, providing 8 mm Ø bars, Spacing (Sy) = $1000 \times 50.3/220 = 229$ mm c/c Hence, providing 8 mm Ø bars, Spacing (Sy) = $1000 \times 50.3/220 = 229$ mm c/c Hence, providing 8 mm Ø bars, Spacing (Sy) = $1000 \times 50.3/220 = 229$ mm c/c Hence, providing 8 mm Ø bars, Spacing (Sy) = $1000 \times 50.3/220 = 229$ mm c/c Hence, providing 8 mm Ø bars, Spacing (Sy) = $1000 \times 50.3/220 = 229$ mm c/c Hence, providing 8 mm Ø bars, Spacing (Sy) = $1000 \times 50.3/220 = 229$ mm c/c Hence, providing 8 mm Ø bars, Spacing (Sy) = $1000 \times 50.3/220 = 229$ mm c/c Hence, providing 8 mm Ø bars $8 \text{mm} \emptyset$ /c in middle strip of $\frac{3}{(ly)} = \frac{3}{(3.46)} = 2.6\text{m}$ Edge strip of ly = 0.43m Reinforcement in edge strip $= 1.2D = 120 \text{mm} 2.35 | P a g e \text{Spacing}(S) = 1000 \times 50.3/120 = 419 \text{mm} c/c \text{Step } 6$: Torsional reinforcement at corners: Size of torsional mesh = lx/5 = 2.56/5 = 0.512m from the centre of support Area of torsional reinforcement = $\frac{3}{4} \text{Astx}$ $=\frac{3}{2}(207) = 155.25$ mm2 Spacing (S) = 1000×50.3/155.25 = 323 mm c/c Step 7 :Check for shear and development length in short span :Shear force at long edges(Vu) = Wu×lx×r/(2+r) = 8250×2.56×1.4/(2+1.4) = 8696.4 KN Page no.72 :- tv = Vu/b.dx = 8696.4 KN Page no.72 :- tv = Vu/b.dx = 8696.4/(1000×76) = 0.114 N/mm2 Page no.44:- At simply supports, Ø of bars should be so restricted that following requirement is satisfied :- (1.3Mu1/Vu) + LO > Ld *Mu1 = 0.87 fyAst1/(0.36 fck.b) = 6.3mm} *Assuming that width of support is =160mm and a side cover(x') of 20mm Provinding no hooks ; $Lo = \frac{1}{2} - x' = 160/2 - 20 = 60 \text{ mm so}, (1.3Mu1/Vu) + LO > Ld (1.3 \times 3.3 \times 106/8696.6) + 60 > Ld = 553 > 376 \text{ Hence, satisfied}.$ Step 8 :-Distribution of loading in two way slab :- (page no. 41) Fig 8 two way slab load distribution and action 37 | P a g e One way slab (S9, Staircase): Step 1 :General arrangement of stairs: Height of each flight = 3/2 = 1.5m. No. of Rises required = 1.5/0.15 = 10 in each flight. No. of Rises required = 1.5/0.15 = 10 in each flight = 3/2 = 1.5m. No. of Rises required = 1.5/0.15 = 10 in each flight. = 2070 mm. Landing =1m Space for Passage = 0.55m Step 2 : Computation of design constants : For , fy = 415N/mm2 => Xumax / d = 0.479 and Ru = 2.761 Step 3 : Computation of Loading and Bending moment : Let the bearing of landing slab in the wall to be 160mm Effective span = 2.07+1m+(0.16/2) = 3.15m Let thickness of waist slab = 200mm. Weight of slab w' on slope = $200/1000 \times 1 \times 1 \times 25000 = 5000$ N/m2 Dead wt. on horizontal area (W1) = (w'\sqrt{R2} + T2) / T = $5000\sqrt{1502} + 2302$ /230 = 5969 N/mm2 Dead wt. of steps (W2) = $R / (2 \times 1000) \times 25000 = 1875$ N/m2 38 | P a g e Total dead wt/mm = 5969 + 1875 = 7844 N Weight of finishing = 100 N (assumed) LL = 2500 N/m2 Dead wt. of steps (W2) = $R / (2 \times 1000) \times 25000 = 1875$ N/m2 38 | P a g e Total dead wt/mm = 5969 + 1875 = 7844 N Weight of finishing = 100 N (assumed) LL = 2500 N/m2 Dead wt. of steps (W2) = $R / (2 \times 1000) \times 25000 = 1875$ N/m2 38 | P a g e Total dead wt/mm = 5969 + 1875 = 7844 N Weight of finishing = 100 N (assumed) LL = 2500 N/m2 Dead wt. of steps (W2) = $R / (2 \times 1000) \times 25000 = 1875$ N/m2 38 | P a g e Total dead wt/mm = 5969 + 1875 = 7844 N Weight of finishing = 100 N (assumed) LL = 2500 N/m2 Dead wt. of steps (W2) = $R / (2 \times 1000) \times 25000 = 1875$ N/m2 38 | P a g e Total dead wt/mm = 5969 + 1875 = 7844 N Weight of finishing = 100 N (assumed) LL = 2500 N/m2 Dead wt. of steps (W2) = $R / (2 \times 1000) \times 25000 = 1875$ N/m2 38 | P a g e Total dead wt/mm = 5969 + 1875 = 7844 N Weight of finishing = 100 N (assumed) LL = 2500 N/m2 Dead wt. of steps (W2) = $R / (2 \times 1000) \times 25000 = 1875$ N/m2 38 | P a g e Total dead wt/mm = 5969 + 1875 = 7844 N Weight of finishing = 100 N (assumed) LL = 2500 N/m2 Dead wt. of steps (W2) = 1875 N/m2 38 | P a g e Total dead wt/mm = 5969 + 1875 = 7844 N Weight of finishing = 100 N (assumed) = $100 \times 1000 \times 10000 \times 1000 \times 1000 \times 10$ Total (LL +finishing) = 10444 N Wu = $1.5 \times 1044 = 1566$ N/m Mu = 15666×3.152 /8 = 19.93×106 N-mm Step 4 :Design of waist slab : d = \sqrt{Mu} / Ru×b = $\sqrt{19.43 \times 106}$ / $2.761 \times 1000 = 83.88$ mm Adopt overall depth (D) of 150mm , using 20mm nominal cover and 10 mmØ bars d = 150-20-5 = 125mm Step 5 : Computation of reinforcement :Ast = (0.5×20 /415 ×1000×125×{1- $(4.6 \times 19.43 \times 106 / 2.761 \times 1000 \times 1252)$ } = 1390 mm2 No. of bars for 1.05 width =1.05×1390/78.54 =19 bars Spacing of 8mmØ bars = 1000×50.3 /180 =279 mm c/c 39 | P a g e CANTILEVER SLAB ,S2 : (BATHROOM 1.475 overhang) Step 1: Design constants and limiting depth of neutral axis : For, Fy = 415 N/mm2 => Xu, max/d = 0.479 and Ru = 2.761 Fck = 20 N/mm2 Step 2: Computation of design B.M. and S.F. : Assume, L/d = 7 Pt = 20% for cantilever slab (from the point of deflection) for under reinforced section ft (Modification factor) = 1.68 Taking c/c dis. L = 1.535m => L/d = 7 × 1.68 {Leffective = 1.475 + (.12/2) = 1.535 mm} $1535/d = 7 \times 1.68 \text{ d} = 130 \text{ mm}$. Provide D=146mm at free end Averagw thickness = (146 + 110)/2 = 128 mm. Design load (Wu) :For, depth (D) = 128 mm. Provide D=146mm at free end Averagw thickness = (146 + 110)/2 = 128 mm. Provide D=146mm at free end Averagw thickness = (146 + 110)/2 = 128 mm. Design load (Wu) :For, depth (D)
= 128 mm. Design load (Wu) :For, depth (D) = 128 mm. Design load (Wu) :For, depth (D) = 128 mm. Design load (Wu) :For, depth (D) = 128 mm. Design load (Wu) :For, depth (D) = 128 mm. Design load (Wu) :For, depth (D) = 128 mm. Design load (Wu) :For, depth (D) = 128 mm. Design l KN/m2 = 3.2 KN/m2 = 3 KN/m2 So, Total load = 3.2 + 3 = 6.2 KN/m2 Design load (Wu) = $1.5 \times 6.2 = 9.3 KN/m2$ 40 | P a g e Design shear force (Vu): $Vu = Wu \times 1 = 9.3 \times 1.475 = 13.717 KN$ {for cantilever $Mu = Wu \times 12/2$ } Step 3: Computation of effective depth :For, b(width) = 1m. =1000mm d = $\sqrt{Mu} / (Ru \times b) = \sqrt{(10.116 \times 106)} / (2.761 \times 1000) = 60.53mm$ providing nominal cover of 15mm and using 8mmØ bars dassumed = D-15-4 = 127mm {D=146mm} Reducing D = 100mm at free end Step 4:- Steel reinforcement : Astreq. = 0.5fck/fy {1- $\sqrt{10}$ $4.6Mu//fck \times b \times d2$ $\times bd = 0.5 \times 20/415$ $\{1-\sqrt{1} - 4.6(10.116 \times 106)/(20 \times 1000 \times 1272)\}$ $\times 1000 \times 12723$ mm2 = 239 Spacing (S) = (1000 \times 50.3)/300 = 167 160 mm c/c, which is < 3d and 300 mm Distribution reinforcement: Astmini. = 0.12% $\times bD = (0.12/100) \times 1000 \times 146 = 175.2$ mm2 spacing (S) = (1000 $\times 50.3)/175.2 = 287$ Pt = 100Ast /bd = 175.2 mm2 spacing (S) = (1000 $\times 50.3)/175.2 = 287$ Pt = 100Ast /bd = 175.2 mm2 spacing (S) = (1000 $\times 50.3)/175.2 = 287$ Pt = 100Ast /bd = 175.2 mm2 spacing (S) = (1000 $\times 50.3)/175.2 = 287$ Pt = 100Ast /bd = 175.2 mm2 spacing (S) = (1000 $\times 50.3)/175.2 = 287$ Pt = 100Ast /bd = 175.2 mm2 spacing (S) = (1000 $\times 50.3)/175.2 = 287$ Pt = 100Ast /bd = 175.2 mm2 spacing (S) = (1000 $\times 50.3)/175.2 = 287$ Pt = 100Ast /bd = 175.2 mm2 spacing (S) = (1000 $\times 50.3)/175.2 = 287$ Pt = 100Ast /bd = 175.2 mm2 spacing (S) = (1000 $\times 50.3)/175.2 = 287$ Pt = 100Ast /bd = 175.2 mm2 spacing (S) = (1000 $\times 50.3)/175.2 = 287$ Pt = 100Ast /bd = 175.2 mm2 spacing (S) = (1000 $\times 50.3)/175.2 = 287$ Pt = 100Ast /bd = 175.2 mm2 spacing (S) = (1000 $\times 50.3)/175.2 = 287$ Pt = 100Ast /bd = 175.2 mm2 spacing (S) = (1000 $\times 50.3)/175.2 = 287$ Pt = 100Ast /bd = 175.2 mm2 spacing (S) = (1000 $\times 50.3)/175.2 = 287$ Pt = 100Ast /bd = 175.2 mm2 spacing (S) = (1000 $\times 50.3)/175.2 = 287$ Pt = 100Ast /bd = 175.2 mm2 spacing (S) = (1000 $\times 50.3)/175.2 = 287$ Pt = 100Ast /bd = 175.2 mm2 spacing (S) = (1000 $\times 50.3)/175.2 = 287$ Pt = 100Ast /bd = 175.2 mm2 spacing (S) = (1000 $\times 50.3)/175.2 = 287$ Pt = 100Ast /bd = 175.2 mm2 spacing (S) = (1000 $\times 50.3)/175.2 = 287$ Pt = 100Ast /bd = 175.2 mm2 spacing (S) = (1000 $\times 50.3)/175.2 = 287$ Pt = 100Ast /bd = 175.2 mm2 spacing (S) = (1000 $\times 50.3)/175.2 = 287$ Pt = 100Ast /bd = 175.2 mm2 spacing (S) = (1000 $\times 50.3)/175.2 = 287$ Pt = 100Ast /bd = 175.2 mm2 spacing (S) = (1000 $\times 50.3)/175.2 = 287$ Pt = 100Ast /bd = 175.2 mm2 spacing (S) = (1000 $\times 50.3)/175.2 = 287$ Pt = 100Ast /bd = 175.2 mm2 spacing (S) = (1000 \times 50.3)/175.2 = 287 Pt = 100Ast /bd = 175.2 mm2 spacing ($100 \times 186/1000 \times 127$ 270mm c/c, which is k= 1.3 *Page no.73:table19 => tc = 0.28 for D=146mm. for M20, Pt = 10% So, ktc = 1.3 \times 0.28 = 0.364 N/mm2 Now, tv Ld. Hence O.K. DESIGN OF LOBBYBEAM (beam-10,11) Span of beam = 230 mm Take Depth of beam = 350 mm Concrete mix=M20 Characteristic strength= 415N/mm2 COMPUTATION OF DESIGN BENDING MOMENT: staircase load = 10.44/2.2 = 4.74 KN/m Self-weight of beam = 0.23x0.35x1x25 = 2.0125 KN/m Total design load (WD) = 1.5x (4.74+2.0125) = 10.13 KN/m Factored resisting moment (MR) = WDxL2/8 = 6.13 KN-m 47 | P a g e COMPUTATION OF EFFECTIVE DEPTH $(d):Mu = .36 \times Xu, max/d [1 - .42 \times Xu, max/d [1 - .42 \times Xu, max/d] fck bd2 Xu, max/d = 700/ [1100 + .87fy] = .479 \dots Mu = 2.761 bd2$ And from above equation $d = \sqrt{Mu/2.761 kd2} = \sqrt{6.13 \times 106/2.761 kd2} = 98.25 \text{ mm} \approx 93 \text{ mm}$ However keep beam Depth= 350mm Therefore, effective depth of beam (d) = 350-25-8-16/2 = 309 mm STEEL REINFORCEMENT: Ast = 0.5 fck/fy [1 - $\sqrt{1-(4.6 \text{ Mu/fck bd2})}$] bd= 55.88mm2 No. of 16mm dia. Bars = 55.88/ $\pi/4x102 = 0.71 \approx 2$ bars of 10mm dia. Horizontal Spacing should be lesser of greatest of the following:a) Diameter of the bar b) 5mm more than the nominal size of aggregate Hence provide horizontal spacing of 12 mm between the bars [IS 456:2000 Clause 26.3.2 (a)] Actual Ast = $2x(\pi/4x102) = 157$ mm2 Moment of resistance at mid span is :MR = 6.13 KN-m (evaluated above). Mu, lim = 2.761 bd2 = 60.63 KN-m 48 | P a g e Since Mu < Mu, lim. The design is ok. SHEAR REINFORCEMENT: The critical section for shear is at a distance of d=(0.309 m) from face of support. Note that distance of theoretical centre of support from face = d/2 = 0.309/2 = 0.16 Therefore, VuD = Wu L/2 - Wu (d/2 + d) = (10.13x2.2)/2 - 10.13x(0.309+0.16) = 6.40 \text{ KN} $\tau v = \text{VuD/bd} = 6.40 \text{ KN}$ $\tau v = \text{VUD/bd} = 6$ 0.22% From table 19 of IS 456:2000 $\tau c = 0.336$ N/mm2 Since $\tau v < \tau c$, min. shear reinforcement is given according to clause 26.5.1.6 of IS456:2000. As per IS 456:2000, nominal shear reinforcement is given by the expression: Asv/b.sv > 0.4/0.87 fy or sv = 2.175 Asv. fy/b Using 2 legged 8mm dia. Stirrups, Asv = 2 x $\pi/4$ (8)2 = 100.5 mm2 Sv= $2.175 \times 100.65 \times 415/230 = 335.66$ mm Max. spacing is least of:(i) 0.75 d = $0.75 \times 307 = 230.25$ mm Or (ii) 300 mm Hence provide 8 mm dia. $2-\log d$ stirrups @230 mm c/c throughout the length of the beam. Provide 2-10 mm dia. $2-\log d$ stirrups @230 mm c/c throughout the length of the beam. Provide 8 mm dia. $2-\log d$ stirrups @230 mm c/c throughout the length of the beam. Provide 8 mm dia. $2-\log d$ stirrups @230 mm c/c throughout the length of the beam. Provide 2-10 mm dia. $2-\log d = 0.75 \times 307 = 230.25$ mm Or (ii) 300 mm Hence provide 8 mm dia. $2-\log d = 0.75 \times 307 = 230.25$ mm Or (ii) 300 mm Hence provide 8 mm dia. $2-\log d = 0.75 \times 307 = 230.25$ mm Or (iii) 300 mm Hence provide 8 mm dia. $2-\log d = 0.75 \times 307 = 230.25$ mm Or (iii) 300 mm Hence provide 8 mm dia. $2-\log d = 0.75 \times 307 = 230.25$ mm Or (iii) 300 mm Hence provide 8 mm dia. $2-\log d = 0.75 \times 307 = 230.25$ mm Or (iii) 300 mm Hence provide 8 mm dia. $2-\log d = 0.75 \times 307 = 230.25$ mm Or (iii) 300 mm Hence provide 8 mm dia. $2-\log d = 0.75 \times 307 = 230.25$ mm Or (iii) 300 mm Hence provide 8 mm dia. $2-\log d = 0.75 \times 307 = 230.25$ mm Or (iii) 300 mm Hence provide 8 mm dia. $2-\log d = 0.75 \times 307 = 230.25$ mm Or (iii) 300 mm Hence provide 8 mm dia. $2-\log d = 0.75 \times 307 = 230.25$ mm Or (iii) 300 mm Hence provide 8 mm dia. $2-\log d = 0.75 \times 307 = 230.25$ mm Or (iii) 300 mm Hence provide 8 mm dia. $2-\log d = 0.75 \times 307 = 230.25$ mm Or (iii) 300 mm Hence provide 8 mm dia. 300 mm dia. $= 0.87 x 415 x 157/0.36 x 20 x 230 = 34.22 \text{ mm} \approx 35 \text{mm} \text{ M1} = 0.87 \text{ fy Ast1 (d} - 0.42 \text{ Xu}) = 0.87 x 415 x 107 (309 - 0.42 \text{ Xu}) = 16.68 x 106 \text{ KN-m} \text{ Vu} = Wu L/2 = 10.13 x 2.2/2 = 11.143 \text{ KN Ld} = 0.87 \text{ fy x diameter of bar} / 4\tau b$ (clause 26.2.1 of IS456:2000) Ld = 0.87 x 415 x 107 (4x1.2x1.6 = 471 \text{ mm Lo} = \text{sum of anchorage beyond centerline of support and} = 0.87 \text{ fy x diameter of bar} / 4\tau b (clause 26.2.1 of IS456:2000) Ld = 0.87 x 415 x 107 (4x1.2x1.6 = 471 \text{ mm Lo} = \text{sum of anchorage beyond centerline of support and} = 0.87 \text{ fy x diameter of bar} / 4\tau b (clause 26.2.1 of IS456:2000) Ld = 0.87 x 415 x 107 (4x1.2x1.6 = 471 \text{ mm Lo} = \text{sum of anchorage beyond centerline of support and} = 0.87 \text{ fy x diameter of bar} / 4\tau b (clause 26.2.1 of IS456:2000) Ld = 0.87 x 415 x 107 (4x1.2x1.6 = 471 \text{ mm Lo} = \text{sum of anchorage beyond centerline of support and} = 0.87 \text{ fy x diameter of bar} / 4\tau b (clause 26.2.1 of IS456:2000) Ld = 0.87 x 415 x 107 (4x1.2x1.6 = 471 \text{ mm Lo} = \text{sum of anchorage beyond centerline of support and} = 0.87 \text{ fy x diameter of bar} / 4\tau b (clause 26.2.1 of IS456:2000) Ld = 0.87 x 415 x 107 (4x1.2x1.6 = 471 \text{ mm Lo} = \text{sum of anchorage beyond centerline of support and} = 0.87 \text{ fy x diameter of bar} / 4\tau b (clause 26.2.1 of IS456:2000) Ld = 0.87 x 415 x 107 (4x1.2x1.6 = 471 \text{ mm Lo} = \text{sum of anchorage beyond centerline of support and} = 0.87 \text{ fy x diameter of bar} / 4\tau b (clause 26.2.1 of IS456:2000) Ld = 0.87 x 415 x 107 (4x1.2x1.6 = 471 \text{ mm Lo} = \text{sum of anchorage beyond centerline of support and} = 0.87 \text{ fy x diameter of bar} / 4\tau b (clause 26.2.1 of IS456:2000) Ld = 0.87 x 415 x 107 (4x1.2x1.6 = 471 \text{ mm Lo} = \text{sum of anchorage beyond centerline of support and} = 0.87 \text{ fy x diameter of bar} / 4\tau b anchorage hook value. If no hook is provided, then Lo = Ls/2 - x' Where Ls = wall thickness x' = side cover which is assumed to be 40 mm Therefore, Lo = 200/2 - 40 = 60 mm Ld/3 = 471/3 = 157 mm Available distance beyond face of support = Lo + Ls/2 = 60 + 200/2 = 160 mm - Ld/3. Hence hook is required. According to codal provision, Anchorage Value of standard U-type hook shall be equal to 16 times the diameter of bar(clause 26.2.2.1, IS456:2000). Hence, Lo = 16x diameter of bar = 16x10 = 1.3 x(16.68x106/11.143x103) + 160 = 2105.97 mm > Ld Hence O.K. 50 | P a g e Other beams are similarly designed and the all values are tabulated below: S.NO BEAM NO. Span Width Depth Design moment (m) (mm) load(KN) (KN-m) 1 Beam-1 3.40 230 350 11.11 16.05 2 Beam-2 3.15 250 400 10.39 12.88 3 Beam-3 5.00 250 400 19.11 30.96 6 Beam-7 3.20 230 350 14.013 17.94 7 Beam-8 & 12 4.40 250 400 24.36 58.96 8 Beam-9 3.20 250 400 19.95 25.54
9 Beam-10 & 11 2.20 230 350 10.13 6.13 10 Beam-13 3.65 230 350 11.56 19.25 Table 7:- beam design data BEAM NO. Ast 2 Required(mm) Dia of No.of Actual Dia of shear Spacing of bars bars(Ast/Ast reinforcement shear (mm2) (mm) reinforcement (Φmm) Φ 2) c/c (mm) Beam-1 151.62 12 2 226.2 8 225 Beam-2 Fig 9. X-Section of beams V:-DESIGN OF COLUMNS: There are usually three types of columns that are usually encountered while designing. These are as follows along with their nomenclature used . 1. Axially loaded columns (C1) 2. Columns with axial load and biaxial bending (C3) Design of column C1: Using fck=20N/mm2 , fy=415N/mm2 Unsupported length= 3-0.4=2.6m (Cl:25.13) (Annex E) 53 | P a g e Load calculations: Load from beam 9=(19.95*3.20)/2=31.92KN Load from beam 9=(19.95*3(Assuming a square column) Total axial force due to D.L+L.L=(167.79+112.5*10-6B2) (NN 1)Size of Column: Assuming P=0.01 Ag= [$p/{(0.4*20)(1-1/100)+(p/100)(0.67*20)}$ Ag = [$(167.79*1000+0.1125Ag)/{(0.4*20)(1-1/100)+(p/100)(0.67*20)}$ Ag = [$(167.79*1000+0.1125Ag)/{(0.4*20)(1-1/100)+(p/100)(0.67*10)+(p/100)$ 300*300 2) Slenderness ratio of a column Effective length (l) = 2.6m = 2600 mm l/D = 2600/300 = 5.60.005D, the column needs to be redesigned 54 | P a g e Lets provide a column Section of 400x400 emin=[(2600/300 = 5.60.005D, the column needs to be redesigned 54 | P a g e Lets provide a column Section of 400x400 emin=[(2600/300 = 5.60.005D, the column needs to be redesigned 54 | P a g e Lets provide a column Section of 400x400 emin=[(2600/300 = 5.60.005D, the column needs to be redesigned 54 | P a g e Lets provide a column Section of 400x400 emin=[(2600/300 = 5.60.005D, the column needs to be redesigned 54 | P a g e Lets provide a column Section of 400x400 emin=[(2600/300 = 5.60.005D, the column needs to be redesigned 54 | P a g e Lets provide a column Section of 400x400 emin=[(2600/300 = 5.60.005D, the column needs to be redesigned 54 | P a g e Lets provide a column Section of 400x400 emin=[(2600/300 = 5.60.005D, the column needs to be redesigned 54 | P a g e Lets provide a column Section of 400x400 emin=[(2600/300 = 5.60.005D, the column needs to be redesigned 54 | P a g e Lets provide a column Section of 400x400 emin=[(2600/300 = 5.60.005D, the column needs to be redesigned 54 | P a g e Lets provide a column Section of 400x400 emin=[(2600/300 = 5.60.005D, the column needs to be redesigned 54 | P a g e Lets provide a column Section of 400x400 emin=[(2600/300 = 5.60.005D, the column needs to be redesigned 54 | P a g e Lets provide a column section of 400x400 emin=[(2600/300 = 5.60.005D, the column needs to be redesigned 54 | P a g e Lets provide a column section of 400x400 emin=[(2600/300 = 5.60.005D, the column needs to be redesigned 54 | P a g e Lets provide a column section of 400x400 emin=[(2600/300 = 5.60.005D, the column needs to be redesigned 54 | P a g e Lets provide a column section of 400x400 emin=[(2600/300 = 5.60.005D, the column needs to be redesigned 54 | P a g e Lets provide a column sectin of 400x400 emin=[(2600/300 = 5.60.005D12mm bars, so the no. of bars =211.42/(0.785x144)=1.87 However providing a minimum of 4 bars of HYSD grade (415), with a clear cover of 40mm So actual Asc providing 8mm dia ties as 8>(12/4) Pitch of lateral dimension=400 16(Dia of longitudinal rein.)=16*12=192 300 So provide 8mm /c c/c distance between main bars=400-2 x 40-2x6=308mm rcc building design example pdf. rcc building design example excel sheet. rcc design example of a two storey building. design example of rcc building

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